

Bias in Arctic Ocean SST Retrieval from Metop-A AVHRR

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Introduction

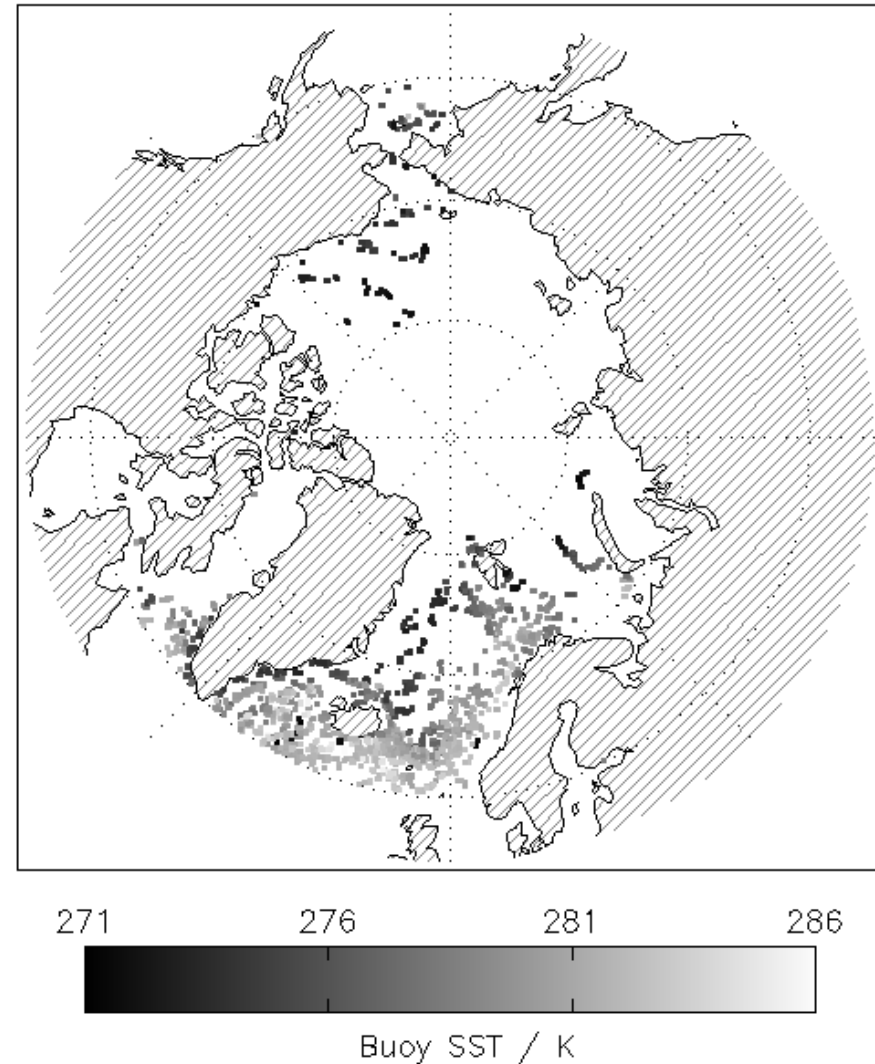
- Perception that SST retrieval biases are poor in Arctic
- Retrieval informed by simulations helps reduce biases from atypical atmospheric profiles
- But biases may arise in simulations from
 - forward model errors
 - biases in NWP used for simulations
 - sensor calibration
- Moreover, the error covariance of simulations is not well known

Aims

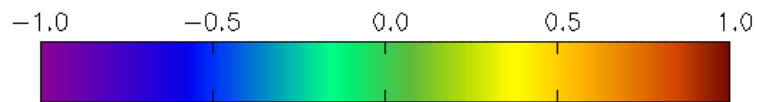
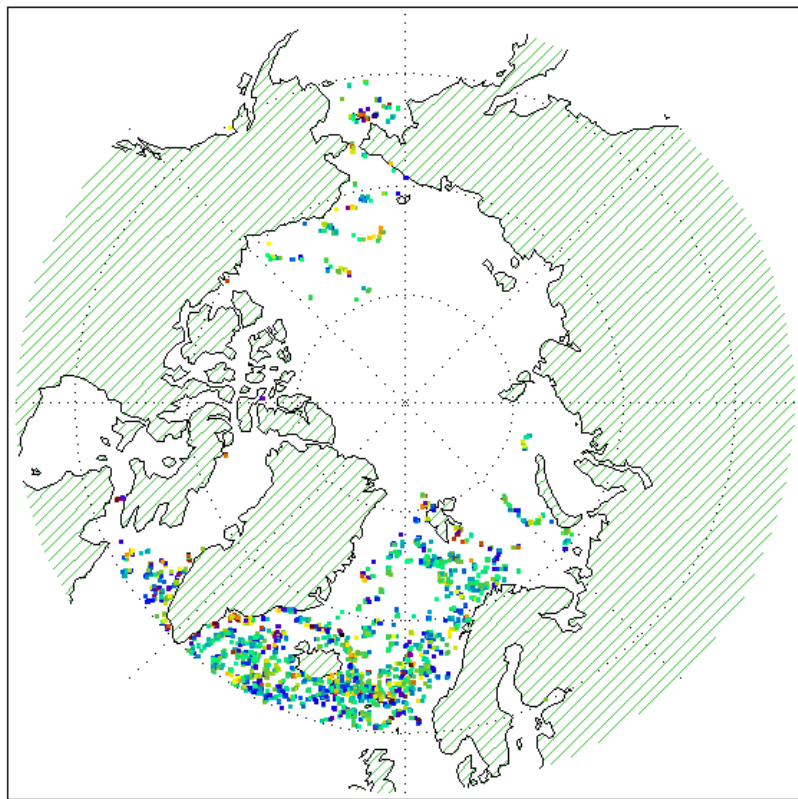
- Assess significance of biases vs drifters
 - OSTIA
 - operational 3-channel SST retrieval coefficients
 - ditto plus simulated SST bias correction
 - naïve implementation of optimal estimation
 - with and without SAF BT bias adjustment
- Consider two candidate “bias tolerant” approaches to retrieval
 - can we design the retrieval such that the BT bias adjustment is unnecessary

Data

- Match-up dataset from SAF
- Metop-A AVHRR
- 1 year of data, filtered against buoy blacklist
- Solar zenith angles > 90 deg (twilight and night)
- 3.7, 11 and 12 μm BT, dBT/dx , dBT/dw
- CLs, angles, OSTIA, lat etc
- 4383 matches only



OSTIA vs Drifters



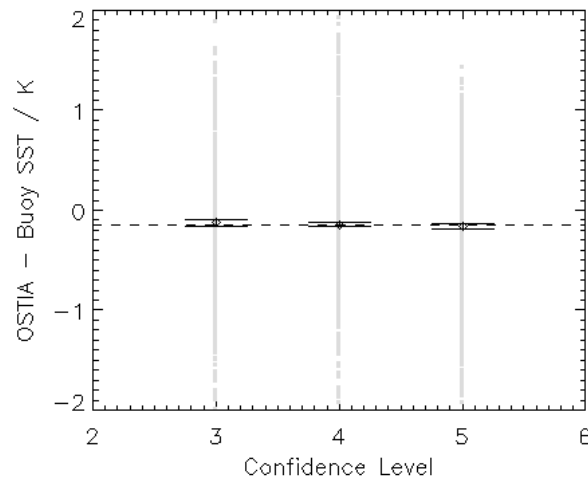
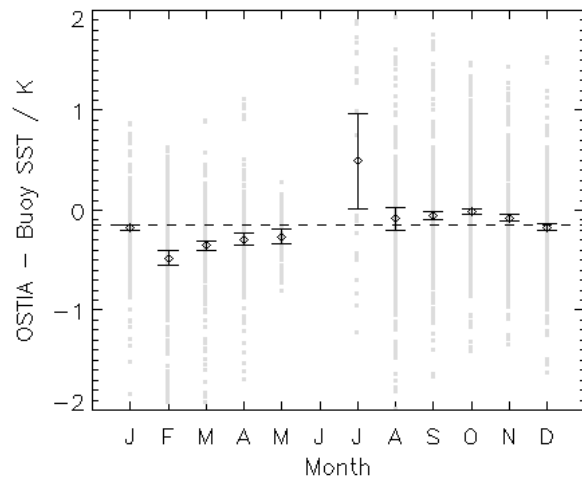
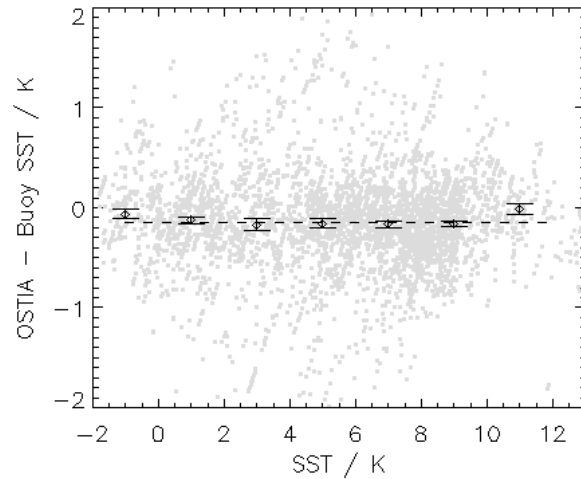
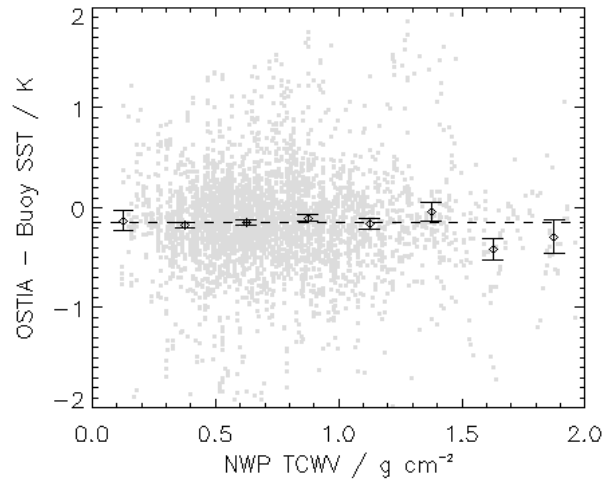
OSTIA - Buoy SST / K

Note: not an independent comparison

Mean: $-0.14 \pm$ SD 0.51 K

Median: $-0.14 \pm$ RSD 0.34 K

OSTIA vs Drifter



Diamond:
mean difference
in bin

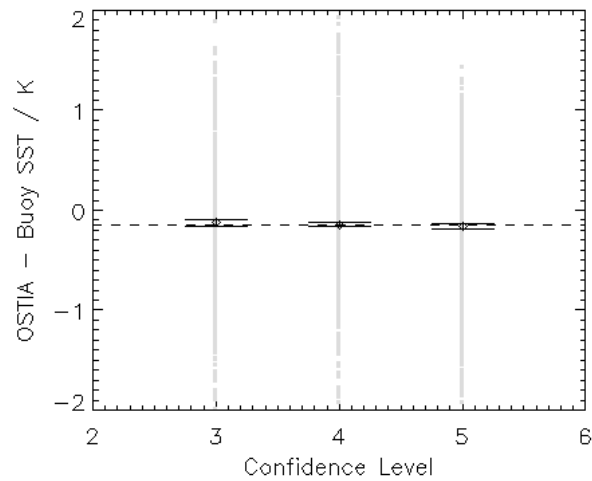
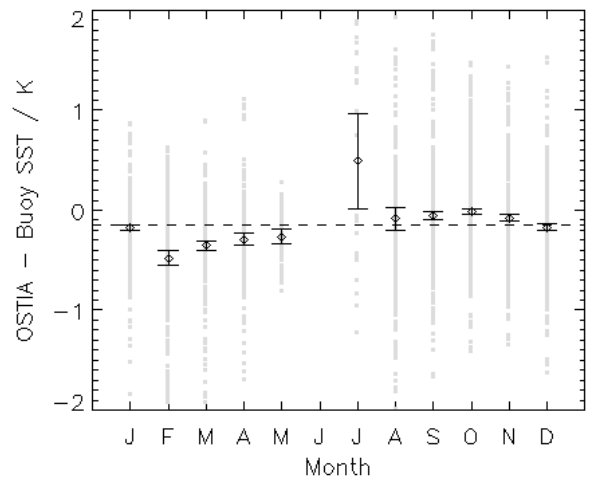
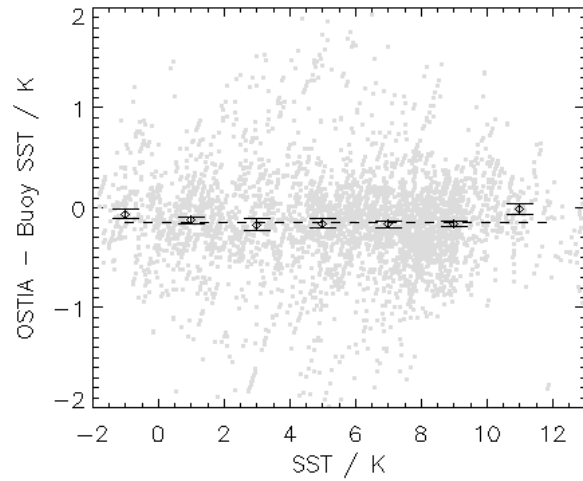
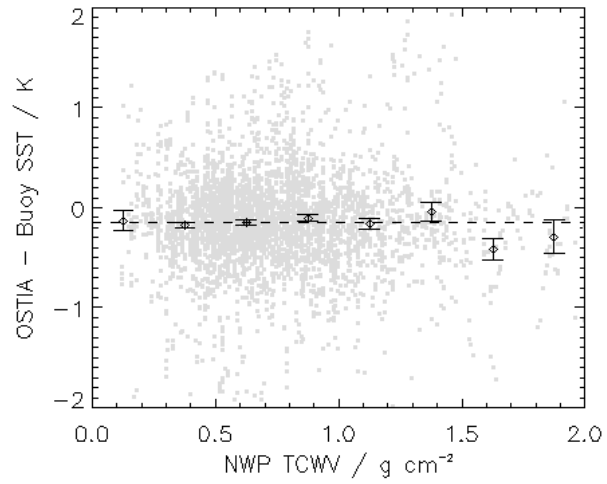
Bar:
95% confidence
interval on the
mean difference

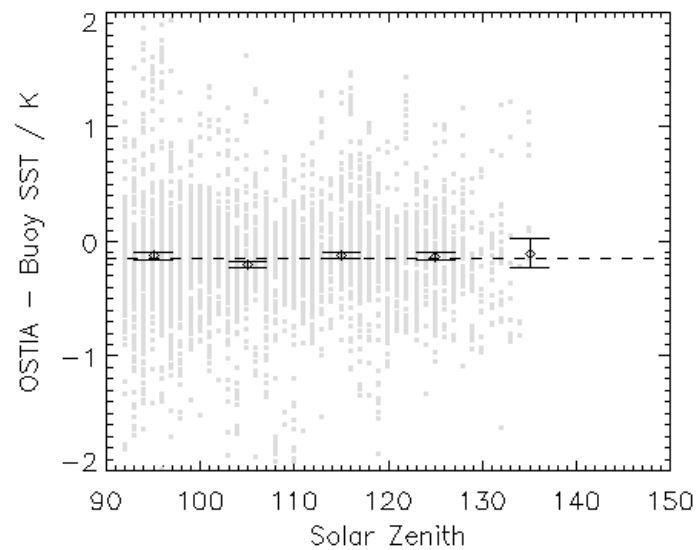
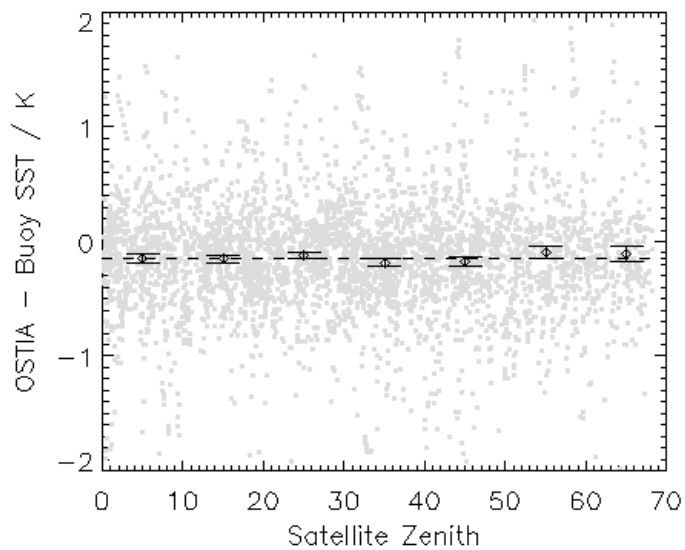
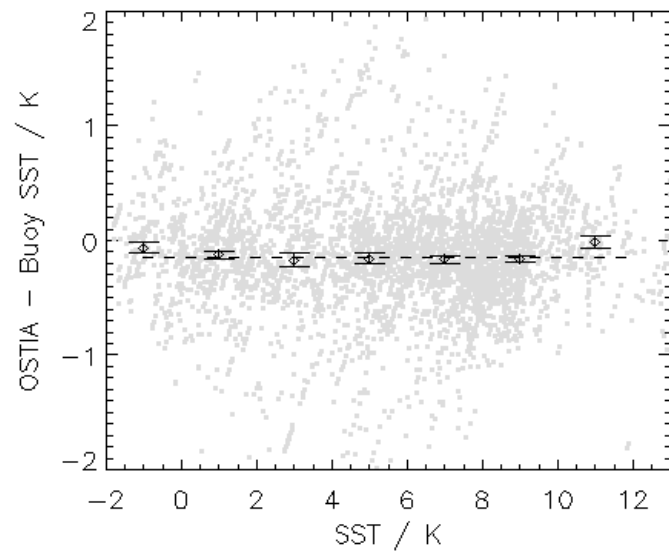
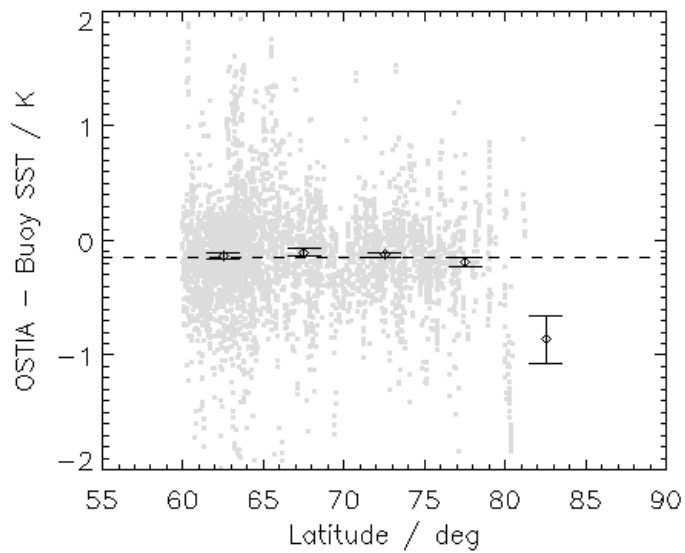
Dashed line:
Overall mean
difference

Interpretation of the confidence interval

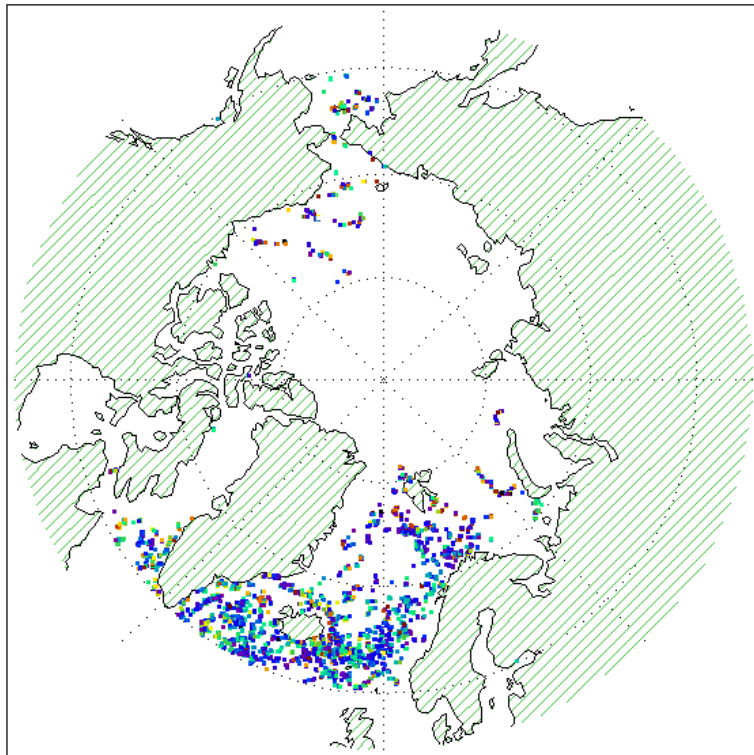
- How the CI was calculated
 - mean +/- t-factor * (standard deviation/sqrt(n-1))
 - for large n, t-factor \rightarrow 1.96 (i.e., ~"two sigma")
 - for n = 3, t-factor \sim 4
- Assumption is independent errors
- But buoy contribution to difference is probably correlated for each buoy ID, so CIs are still underestimated
- Can't confidently say bias exists if bar overlaps

OSTIA vs Drifter





Operational Triple Coefficients



-1.0 -0.5 0.0 0.5 1.0



Op SST - Buoy SST / K

Mean: $-0.55 \pm$ SD 0.60 K (4383)

Median: $-0.53 \pm$ RSD 0.42 K

CL = 5

Mean: $-0.52 \pm$ SD 0.48 K (1629)

Median: $-0.52 \pm$ RSD 0.39 K

CL = 4

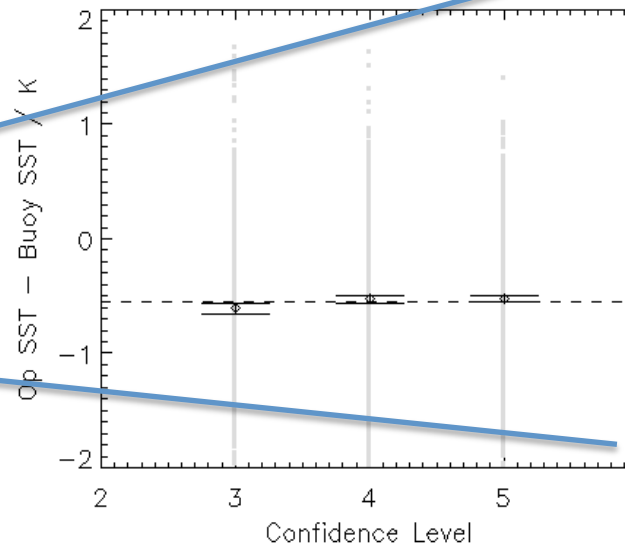
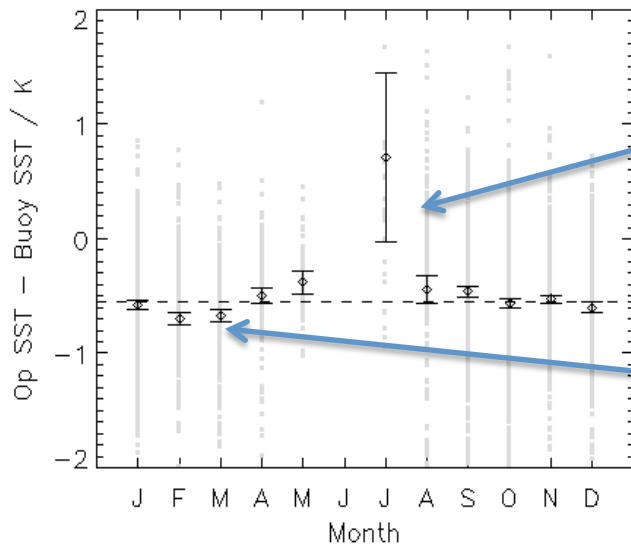
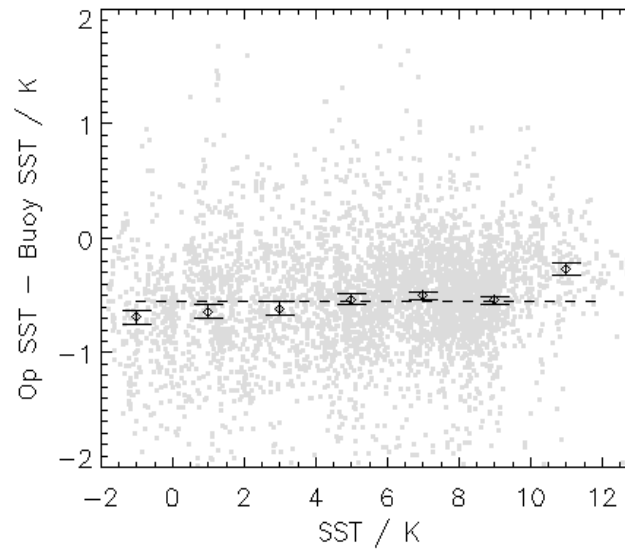
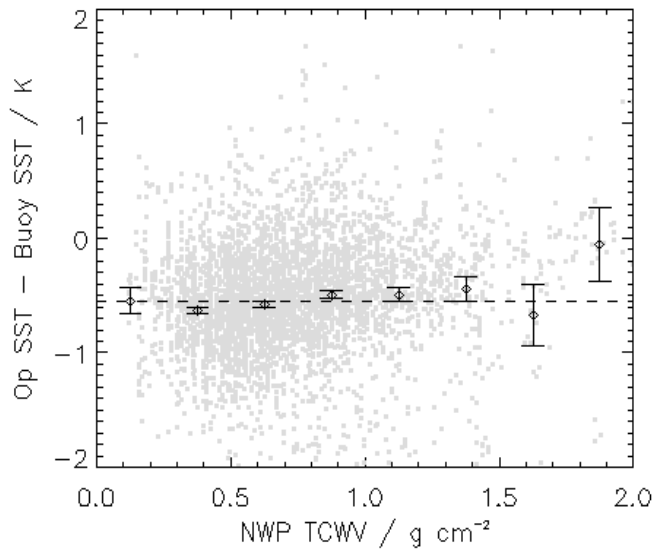
Mean: $-0.53 \pm$ SD 0.59 K (1710)

Median: $-0.50 \pm$ RSD 0.39 K

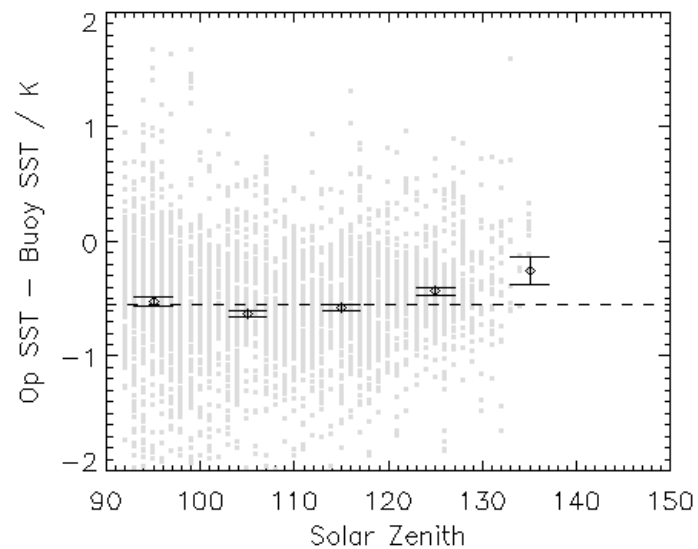
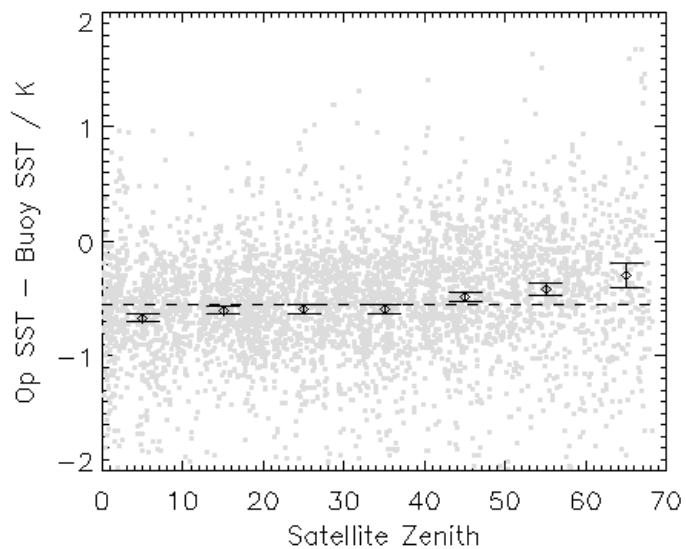
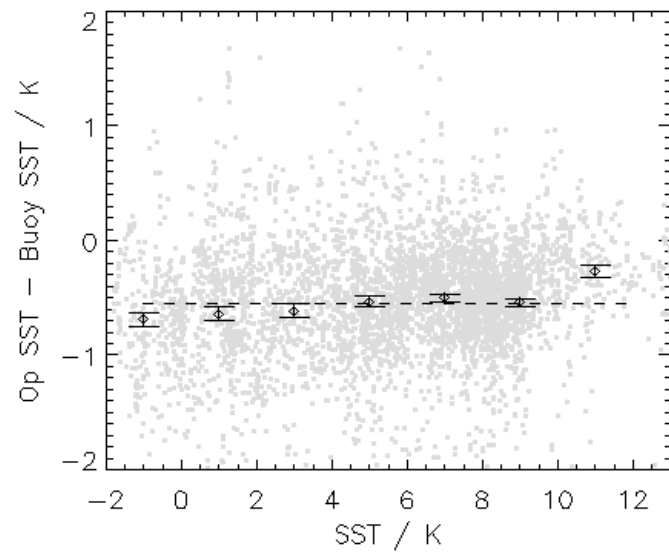
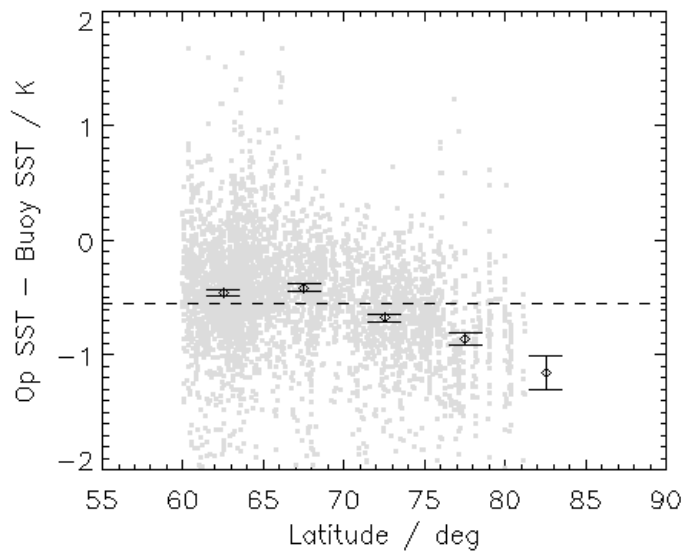
CL = 3

Mean: $-0.61 \pm$ SD 0.76 K (1044)

Median: $-0.61 \pm$ RSD 0.52 K

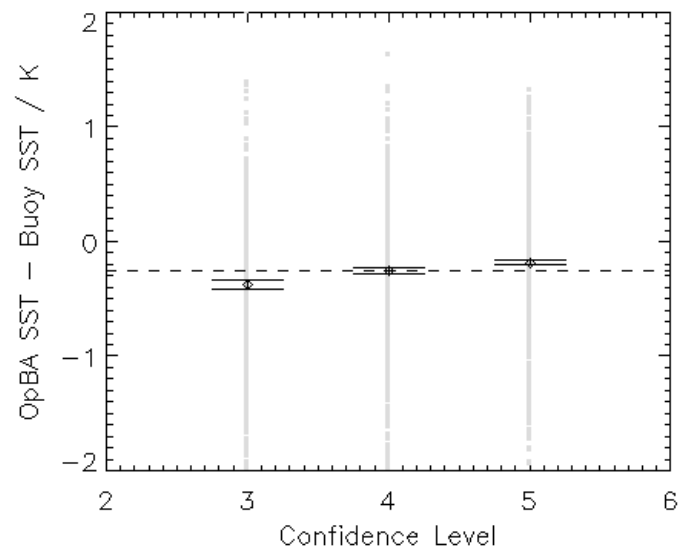
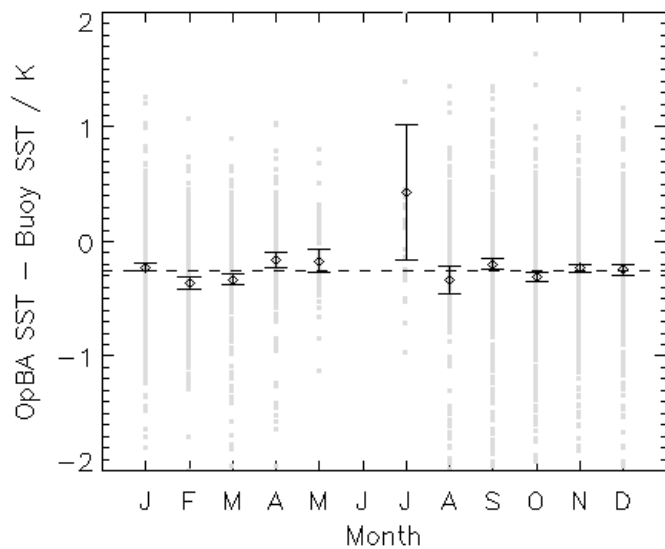
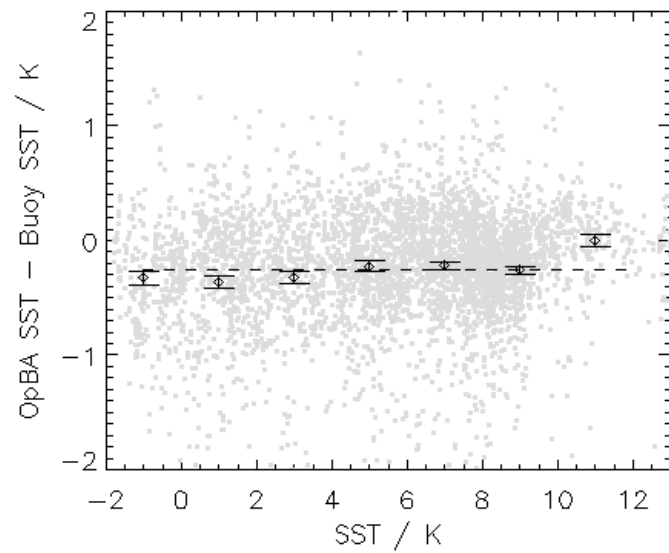
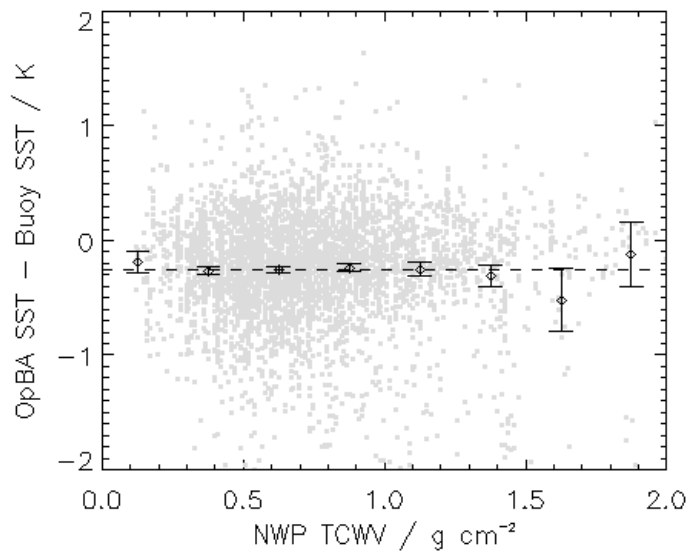


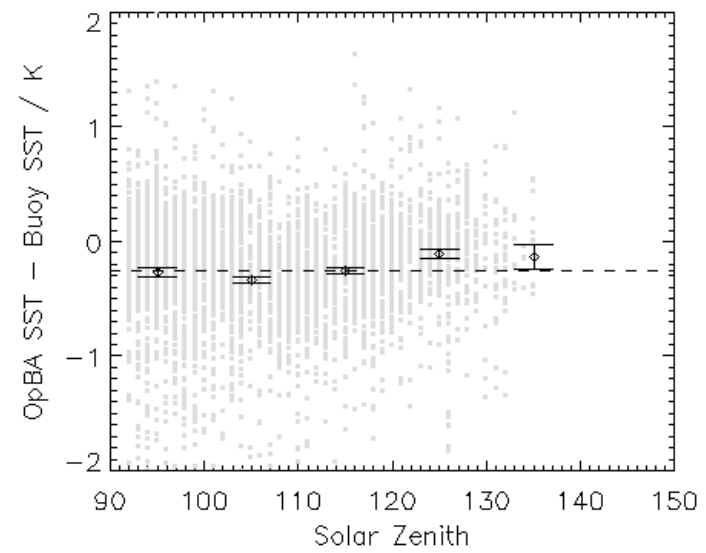
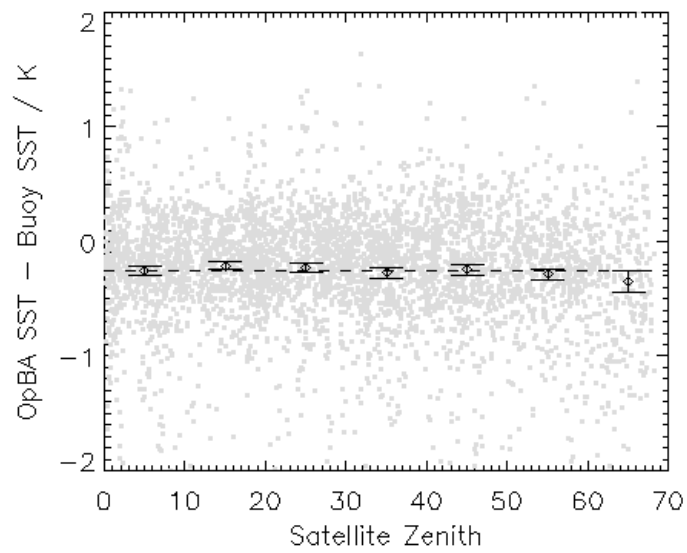
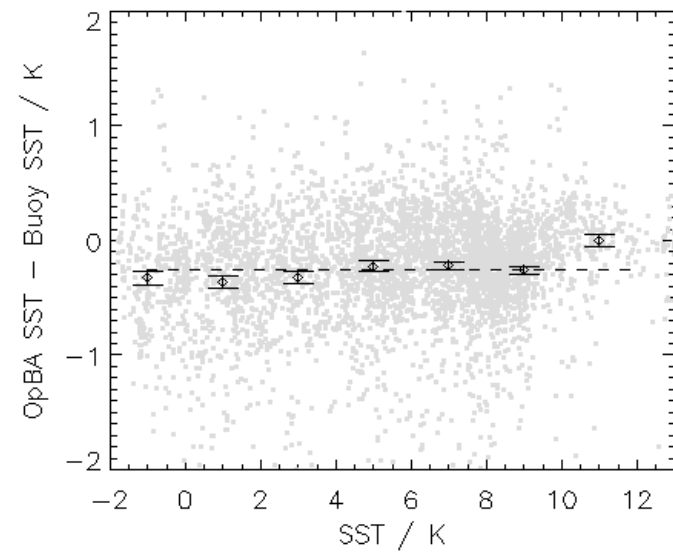
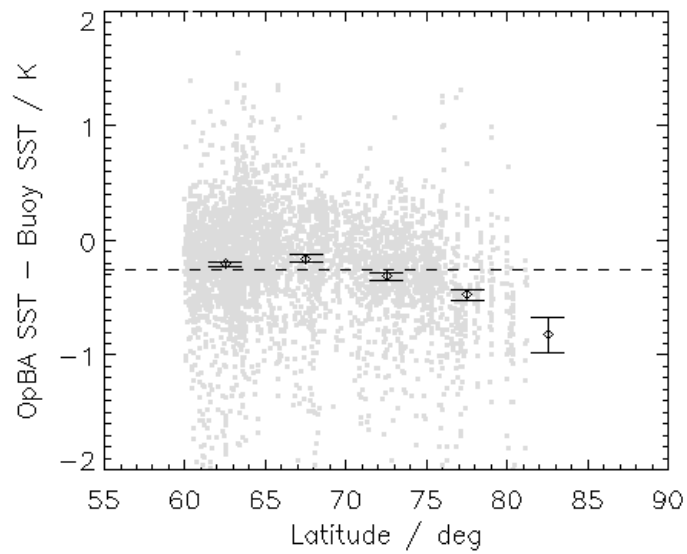
Speculation:
 Influenced by real near-surface stratification between buoy and skin? Or a twilight effect?
 Strong winter skin effect in satellite obs?



Simulated Bias Correction

- Put the RTTOV-simulated BTs through the same retrieval coefficients
- Subtract the simulated retrieved bias (known given that we know the SST that went into the simulations)





Op with Sim Bias Correction

- Mean: $-0.26 \pm \text{SD } 0.57 \text{ K}$ (4383)
- Median: $-0.21 \pm \text{RSD } 0.39 \text{ K}$
- Question: are these coefficients intended to deliver skin or subskin SST? (Is the T_{corr} coefficient tuned to buoys or buoys $- 0.17 \text{ K}$?)
- If subskin, there is an overall bias still
- If skin, bias is $<0.1 \text{ K}$

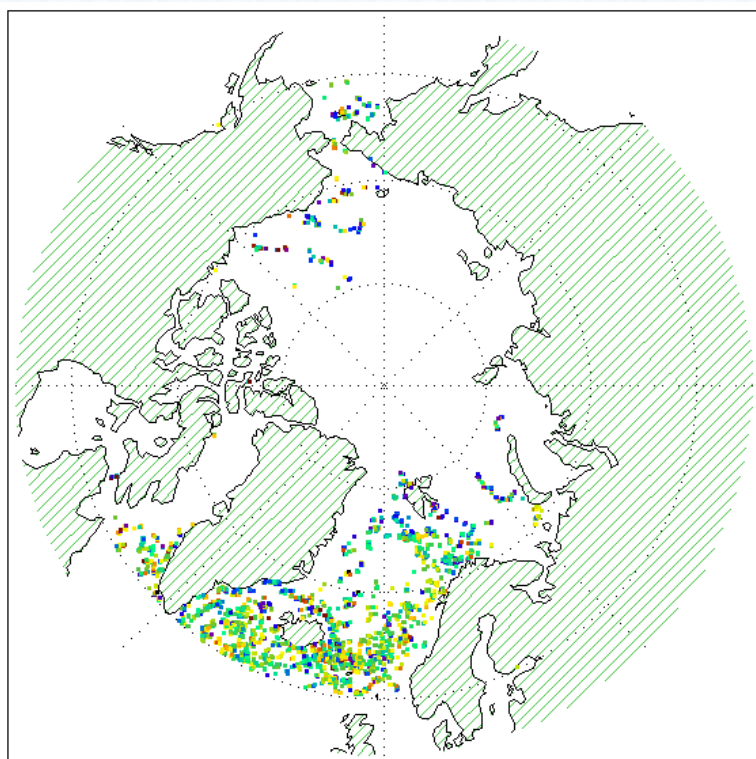
Optimal Estimation (MAP)

- OE assumes
 - zero bias in simulation relative to observation
 - we have good estimates of the prior error covariance (S_a)
 - we have good estimates of the sensor noise and forward model error covariance (S_e)
- All are not true, and the first in particular prompts BT bias adjustment efforts

Naïve OE implementation

- Assume zero S-O bias, don't use SAF BT bias adjustments
- $e_{xb} = 1.0$ K
- $e_{wb} =$ as recent SEVIRI paper
- $e_y = 0.1$ K (same noise all channels)
- $e_F = 0.15$ K (RTTOV error independent between channels)
- Skin SST retrieval, then add 0.17 K to cf. drifters

OE (MAP no BC) vs drifters



-1.0 -0.5 0.0 0.5 1.0



MAP SST - Buoy SST / K

MAP, no SAF bias correction

CL = 5

Mean: -0.01 +/- SD 0.48 K (1629)

Median: 0.04 +/- RSD 0.38 K

CL = 4

Mean: -0.06 +/- SD 0.59 K (1710)

Median: 0.01 +/- RSD 0.37 K

CL = 3

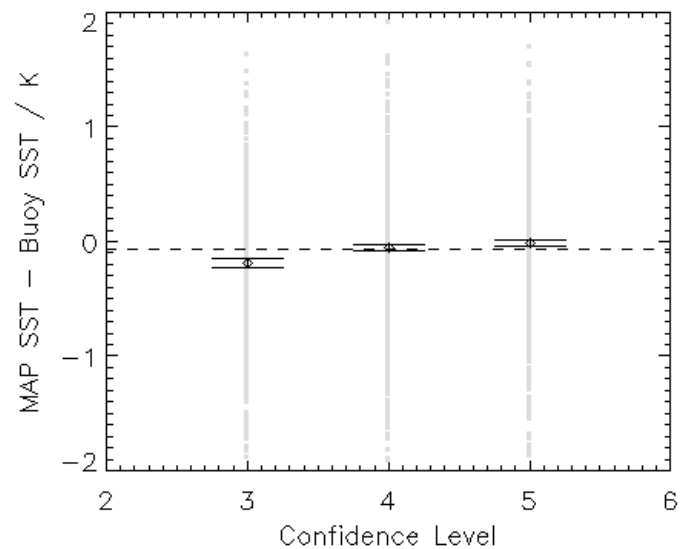
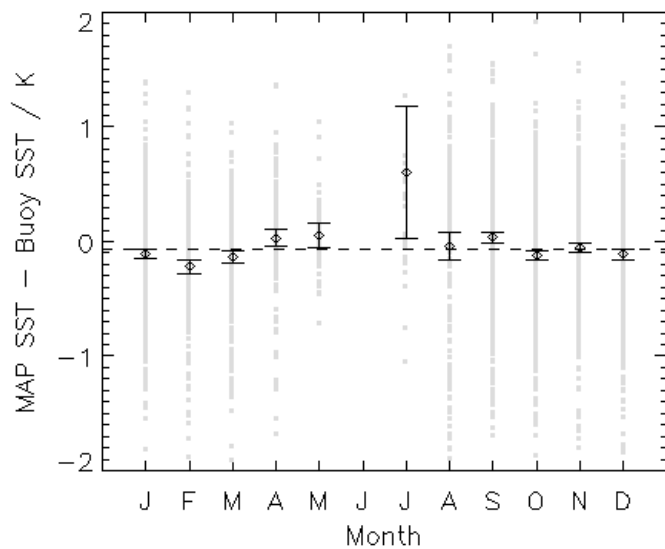
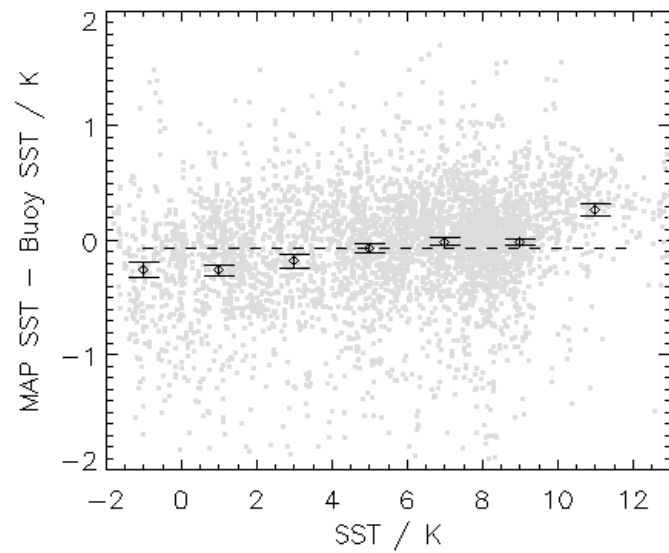
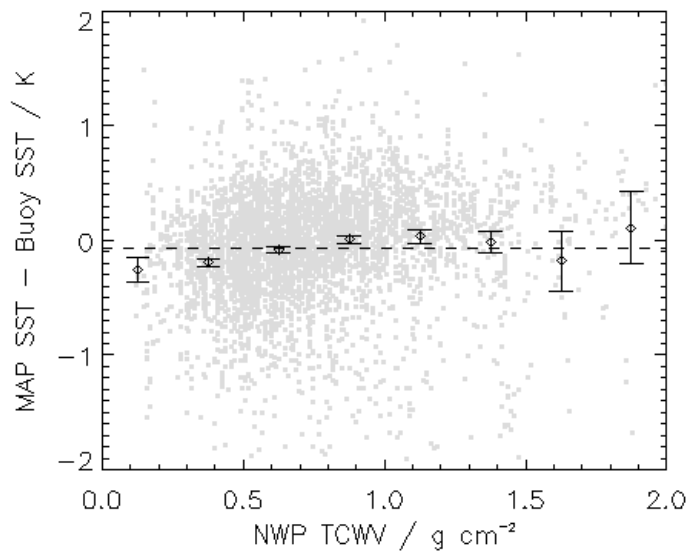
Mean: -0.19 +/- SD 0.68 K (1044)

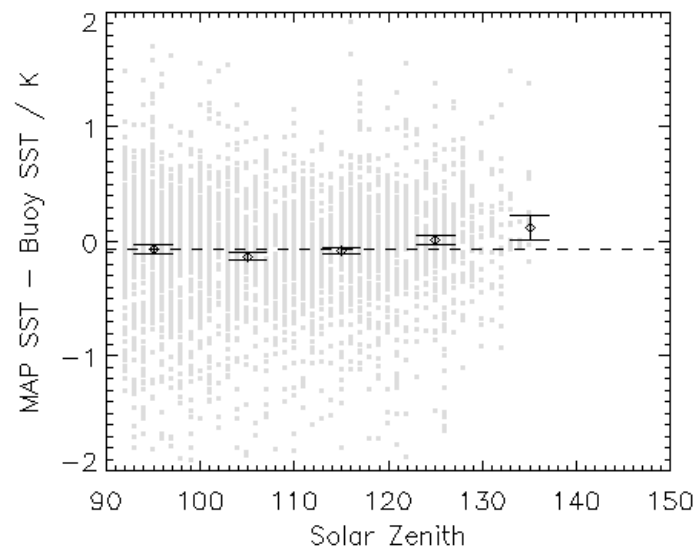
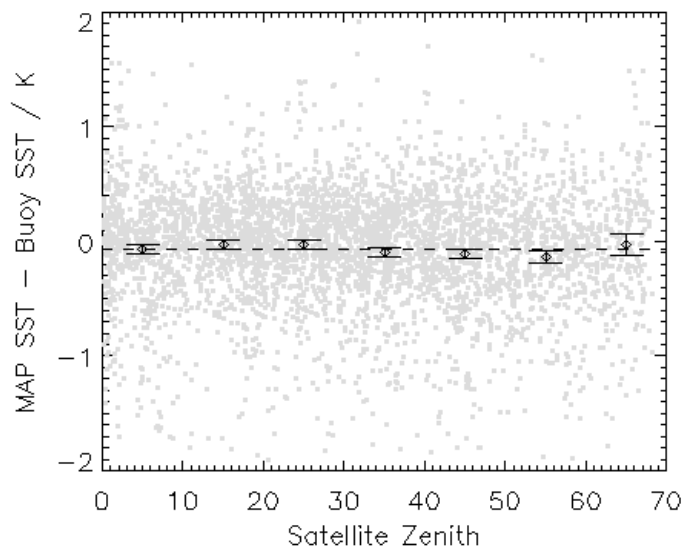
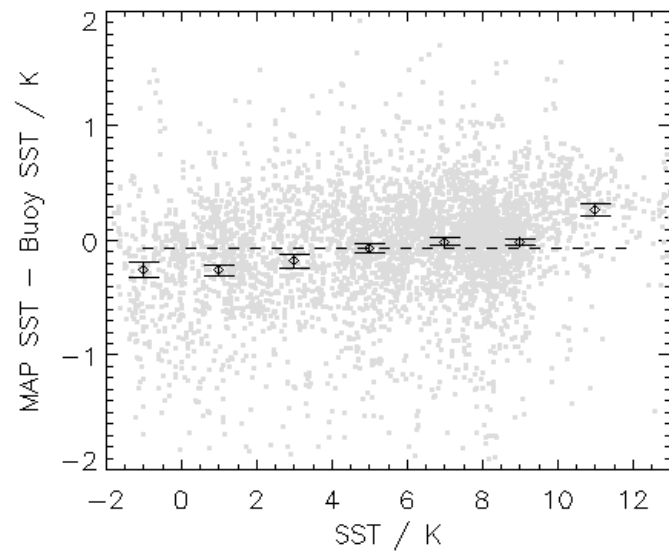
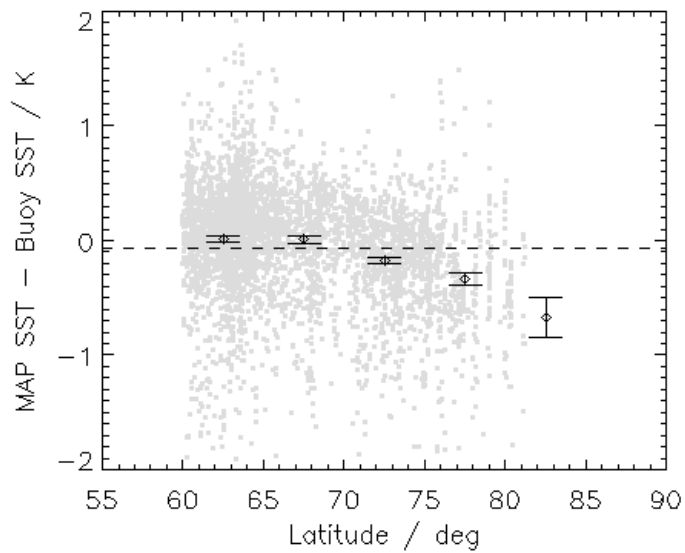
Median: -0.15 +/- RSD 0.49 K

ALL

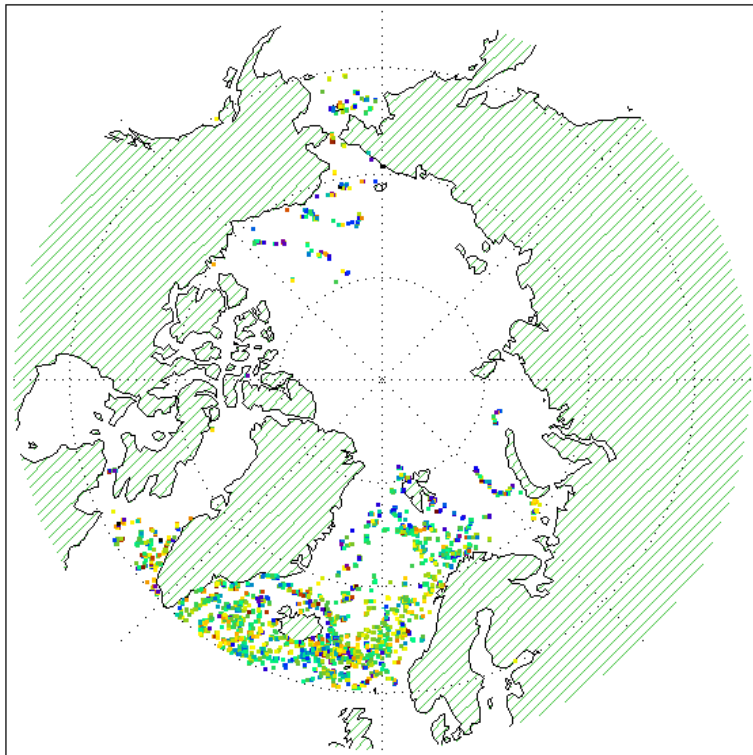
Mean: -0.07 +/- SD 0.58 K (4383)

Median: -0.01 +/- RSD 0.40 K





Does using the BT adj help OE MAP?



-1.0 -0.5 0.0 0.5 1.0



MAPBC SST - Buoy SST / K

MAP, SAF bias correction

CL = 5

Mean: -0.01 +/- SD 0.48 K (1628)

Median: 0.04 +/- RSD 0.36 K

CL = 4

Mean: -0.03 +/- SD 0.59 K (1708)

Median: 0.03 +/- RSD 0.37 K

CL = 3

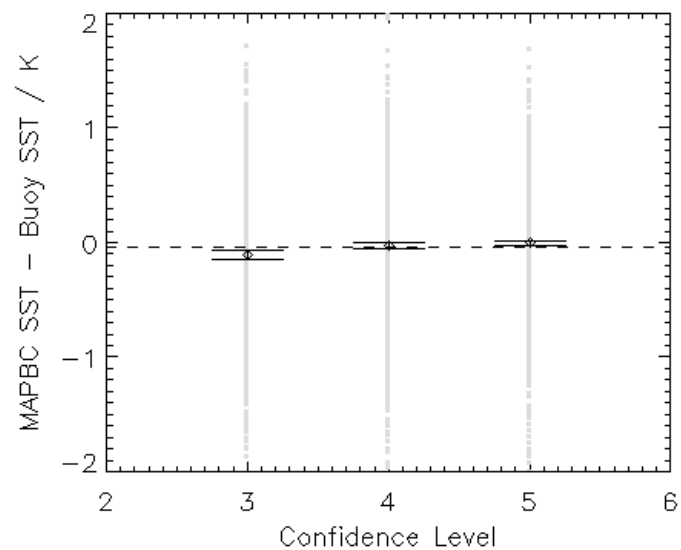
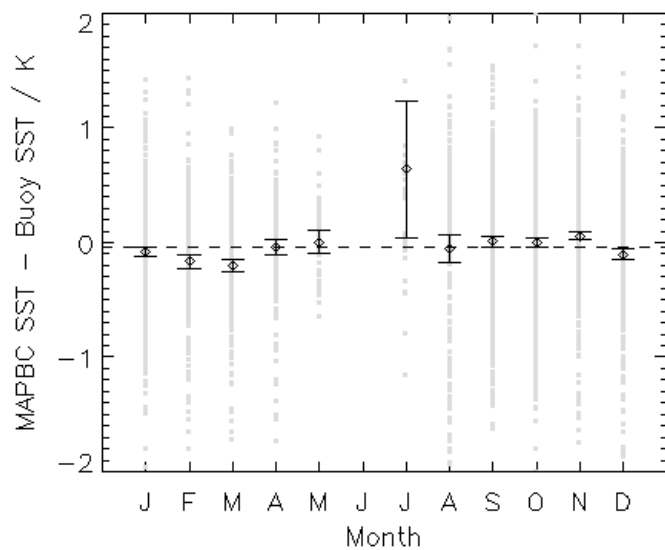
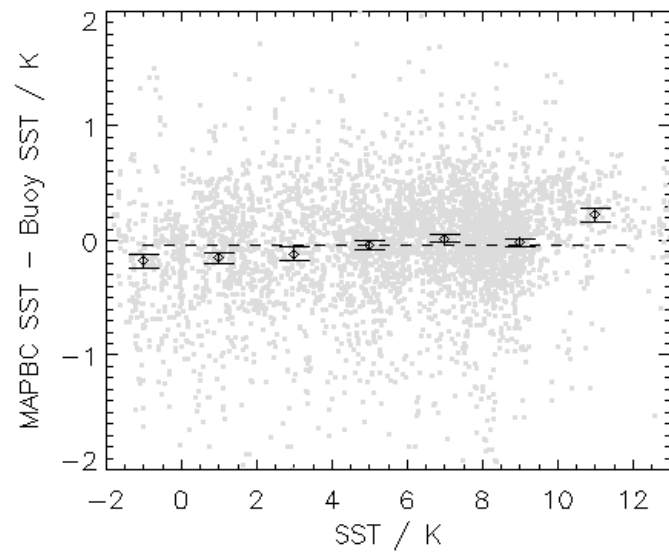
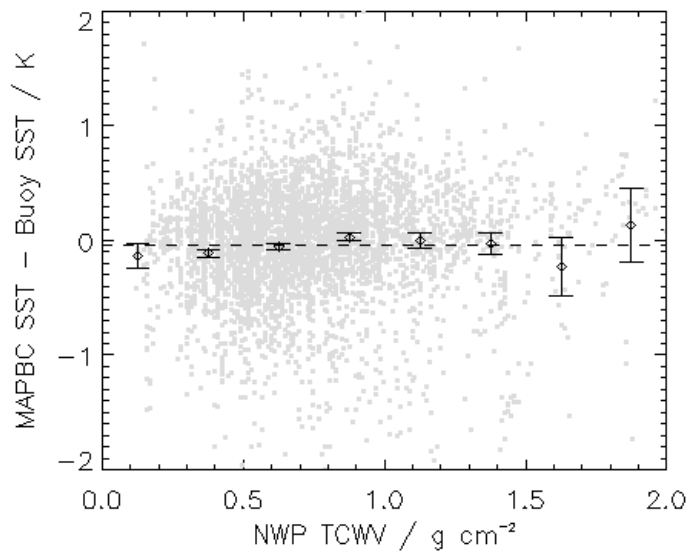
Mean: -0.11 +/- SD 0.69 K (1042)

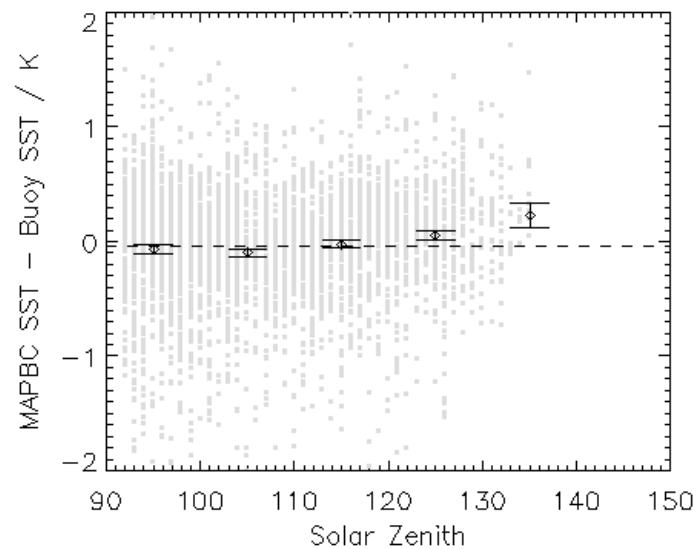
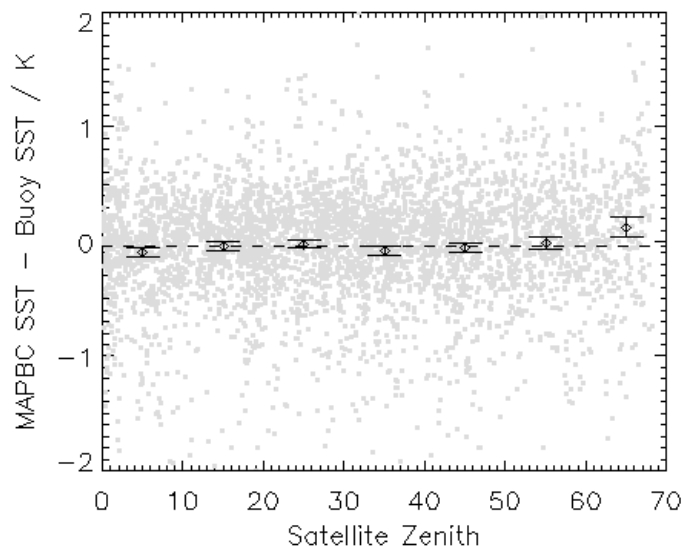
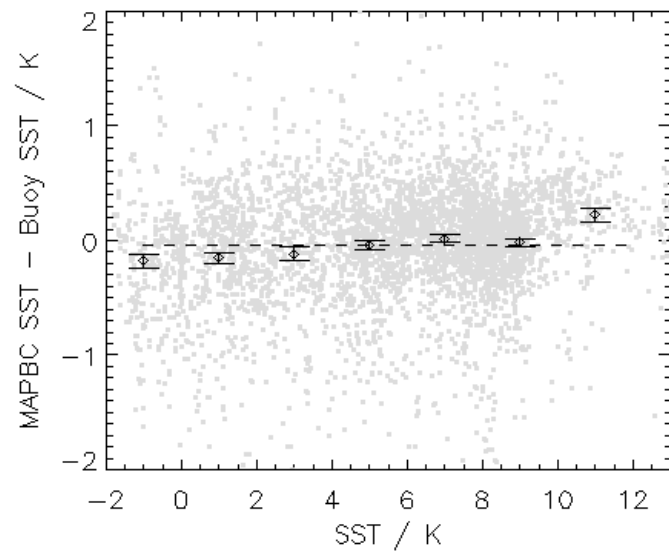
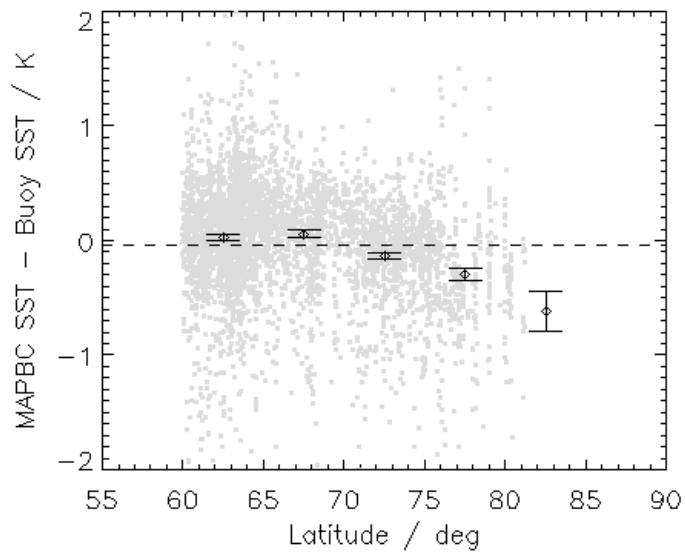
Median: -0.07 +/- RSD 0.49 K

ALL

Mean: -0.04 +/- SD 0.58 K (4378)

Median: 0.02 +/- RSD 0.39 K





Mid-point conclusions

- OSTIA small negative diffs overall (-0.14 K)
- Differences vary round year
- Op retrieval improved by using simulated bias correction, but negative diffs overall (-0.26 K)
- Varying differences round the year similar to OSTIA
 - Reflecting influence of Metop SSTs on OSTIA?
 - Moderated by use of simulated bias correction
 - Could near-surface stratification / strong winter skin effect between playing a role annual cycle of difference?
- OE relatively unbiased relative to drifters (-0.01 K)
- Varying differences round year damped in OE cf. OSTIA
- OE improved by SAF BT adjustment mainly for CL = 3
- All SSTs negatively biased cf. drifters at highest latitudes

Ideas for bias-tolerant retrieval

- Modified Total Least Squares
 - Reported by Prabhat Koner at GHRSSST to need no BT bias correction for GOES-12 retrieval using 3.7, 11 and 13 μm
 - At same time OE without BC did badly
- Bias-aware Optimal Estimation
 - Empirical mean BT bias adjustment
 - Empirical forward model error covariance matrix, which reflects any correlated BT bias components

Description of MTLs

- Like all similar methods, takes form of

$$\mathbf{x} - \mathbf{x}_b = \mathbf{G}(\mathbf{y} - \mathbf{f})$$

- In MTLs the gain \mathbf{G} is

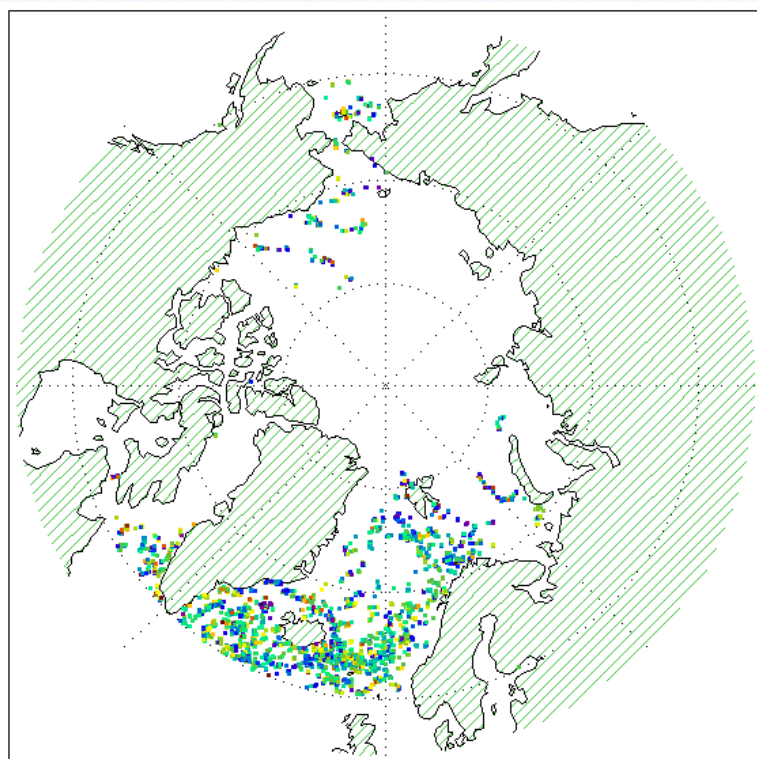
$$(\mathbf{K}^T \mathbf{K} + \lambda \mathbf{I})^{-1} \mathbf{K}^T$$

- The “clever” bit:
 - the regularisation parameter λ is variable
 - based on assessment of how much regularisation a particular inverse needs

Deciding on λ

- The \mathbf{K} matrix contains $d\mathbf{y}/dx$ and $d\mathbf{y}/dw$ terms
- If $\mathbf{y} - \mathbf{f}$ is close to a linear combination of columns of \mathbf{K} then $\mathbf{y} - \mathbf{f}$ is plausibly explained by perturbations to x and w
 - Therefore, the simulation is “good” and the observation error is “small” and the inverse needs minimal regularisation \rightarrow small λ
- Otherwise, simulations and observations poorly match
 - the inverse should be strongly regularised \rightarrow large λ
- The actual recipe of Prabhat is
 - Find eigenvalues of $[\mathbf{K} \ \mathbf{y}-\mathbf{f}]$, call these \mathbf{w}
 - $\lambda = 2.\ln(\max(\mathbf{w})/\min(\mathbf{w})).\min(\mathbf{w})^2$
 - This form is apparently a choice based on experiment

MTLS vs drifters



-1.0 -0.5 0.0 0.5 1.0



MTLS SST - Buoy SST / K

MTLS, no BT bias correction

CL = 5

Mean: 0.02 +/- SD 0.45 K (1629)

Median: 0.03 +/- RSD 0.37 K

CL = 4

Mean: -0.04 +/- SD 0.57 K (1710)

Median: 0.01 +/- RSD 0.36 K

CL = 3

Mean: -0.15 +/- SD 0.72 K (1044)

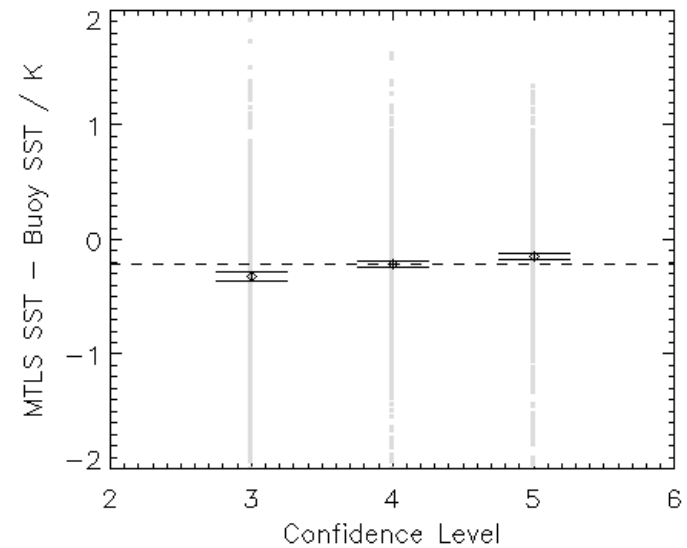
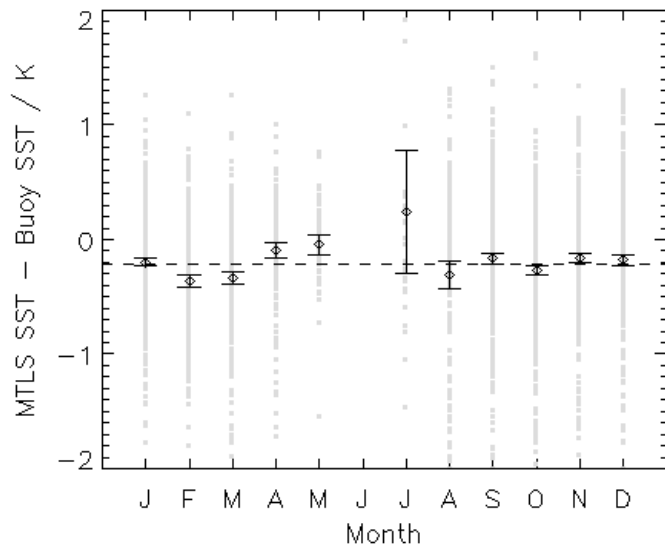
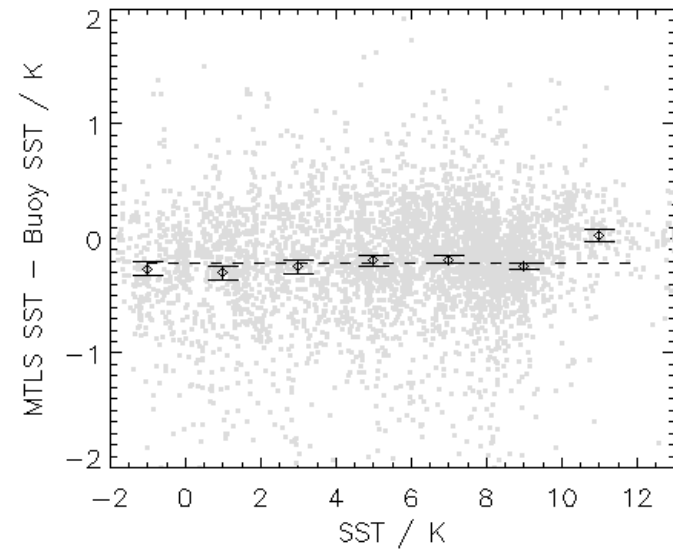
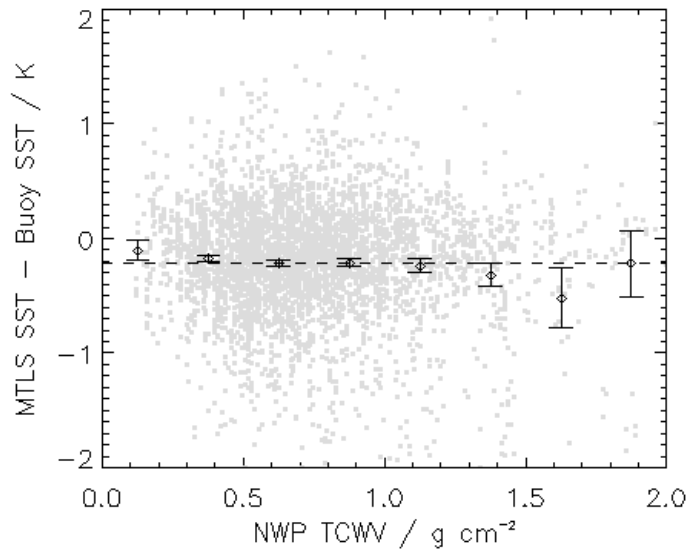
Median: -0.11 +/- RSD 0.51 K

ALL

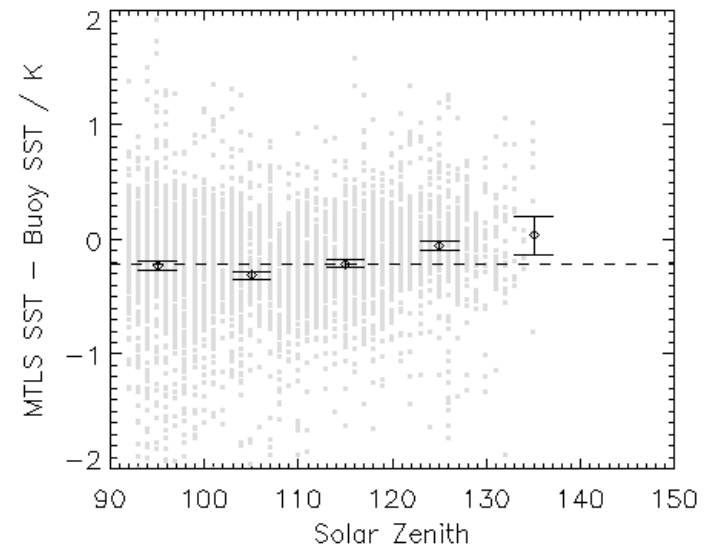
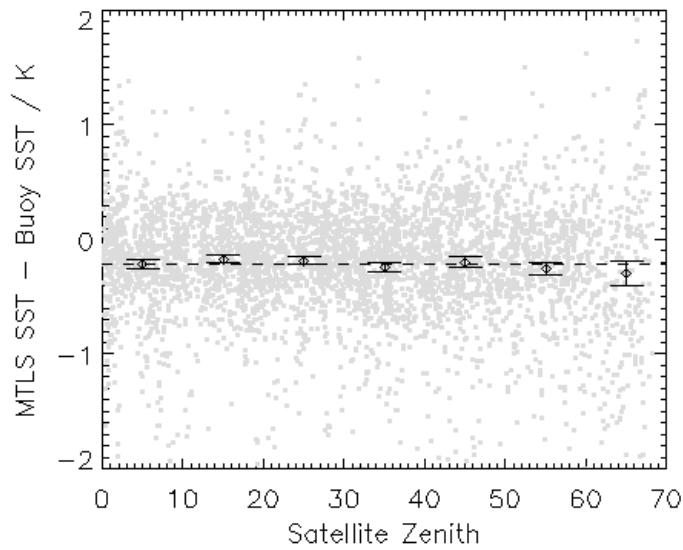
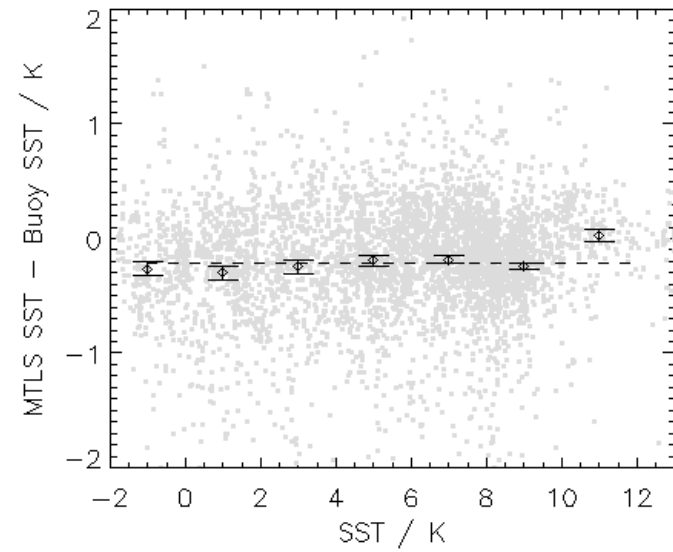
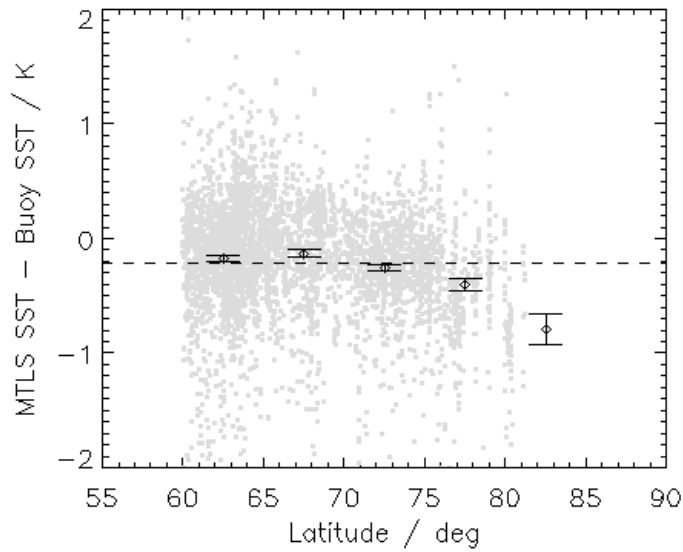
Mean: -0.04 +/- SD 0.58 K (4383)

Median: -0.00 +/- RSD 0.39 K

NB
Figures
done
without
adding
0.17 K
to
account
for skin



NB
Figures
done
without
adding
0.17 K
to
account
for skin



The OE MAP gain matrix

- In normal OE the gain matrix can be written

$$\mathbf{S}_a \mathbf{K}^T (\mathbf{K} \mathbf{S}_a \mathbf{K}^T + \mathbf{S}_e)$$

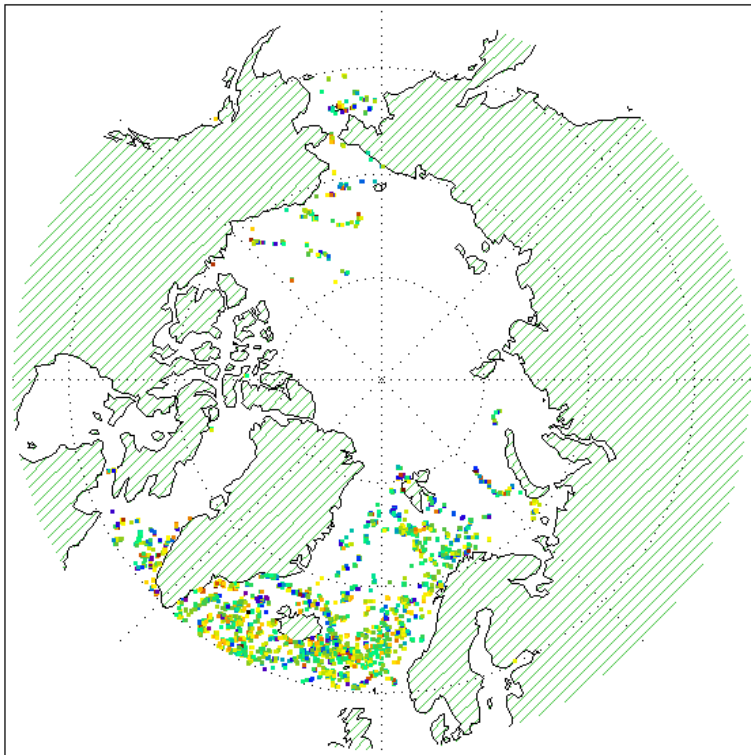
\mathbf{S}_e represents noise plus forward model, both of which have been modelled simply as diagonals

\mathbf{S}_a includes the prior SST error variance (which we think we know well) and the TCWV (which we don't know well)

“Bias-aware” OE formulation

- First calculate mean $\Delta \mathbf{f} = \mathbf{y} - \mathbf{f}$
 - accounting for skin effect when using OSTIA x_a
 - stratified by CL, since varies systematically
- Then, find covariance($\mathbf{y} - \mathbf{f} - \Delta \mathbf{f}$)
- This should equal the mean of $(\mathbf{K}\mathbf{S}_a\mathbf{K}^T + \mathbf{S}_e)$ but it doesn't because the error covariances are not well known
- Get a new estimate of \mathbf{S}_e as
$$\mathbf{S}_e^{BA} = \text{covariance}(\mathbf{y} - \mathbf{f} - \Delta \mathbf{f}) - \text{mean}(\mathbf{K}\mathbf{S}_a\mathbf{K}^T)$$
- This then estimates the correlated forward model or BT errors across the domain (plus real sensor noise)
- Retrieval is: $x - x_a = \mathbf{S}_a\mathbf{K}^T(\mathbf{K}\mathbf{S}_a\mathbf{K}^T + \mathbf{S}_e^{BA})(\mathbf{y} - \mathbf{f} - \Delta \mathbf{f})$

OE-BA vs. drifters



-1.0 -0.5 0.0 0.5 1.0



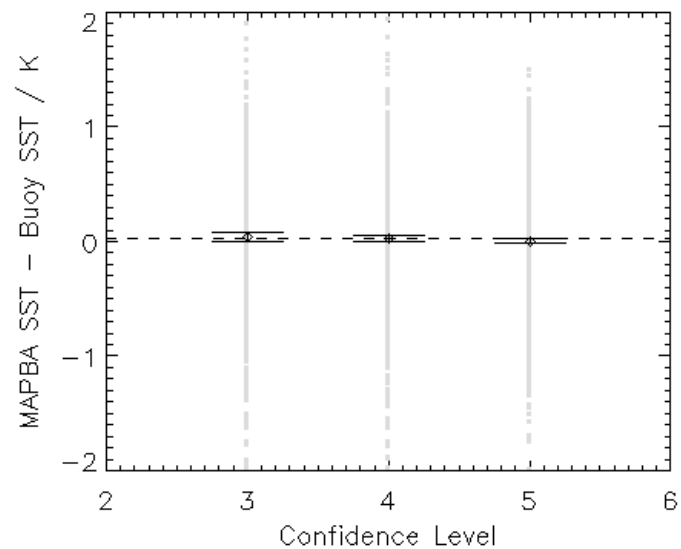
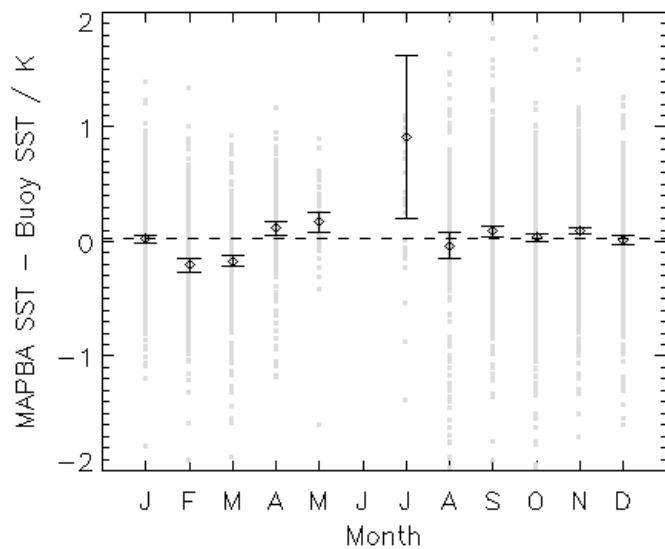
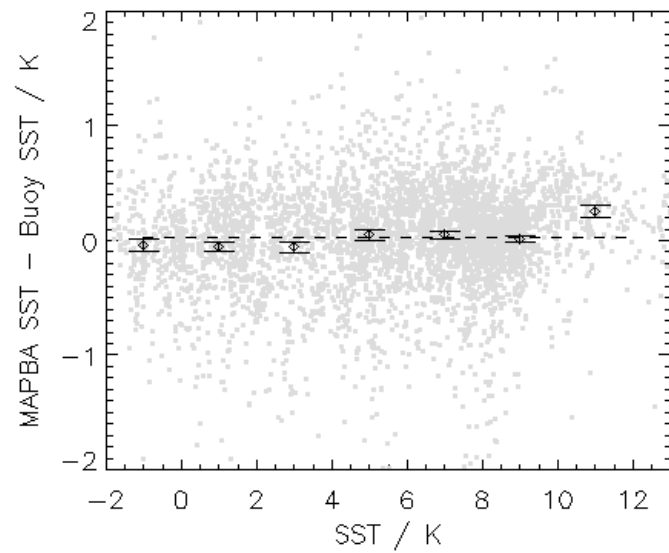
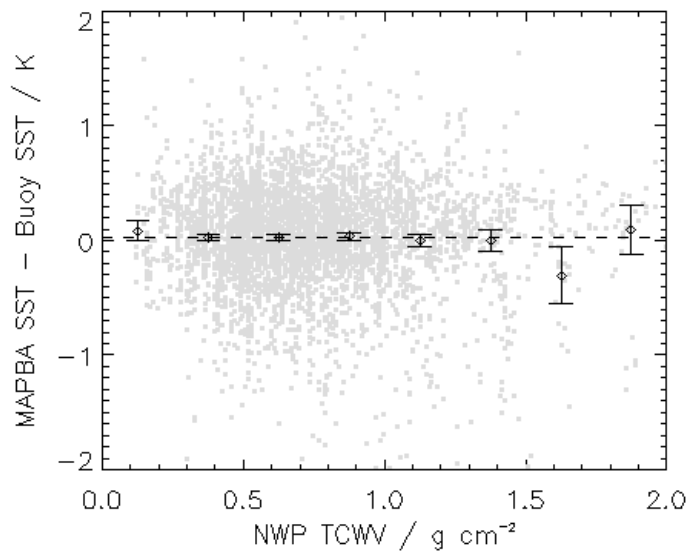
MAPBA SST - Buoy SST / K

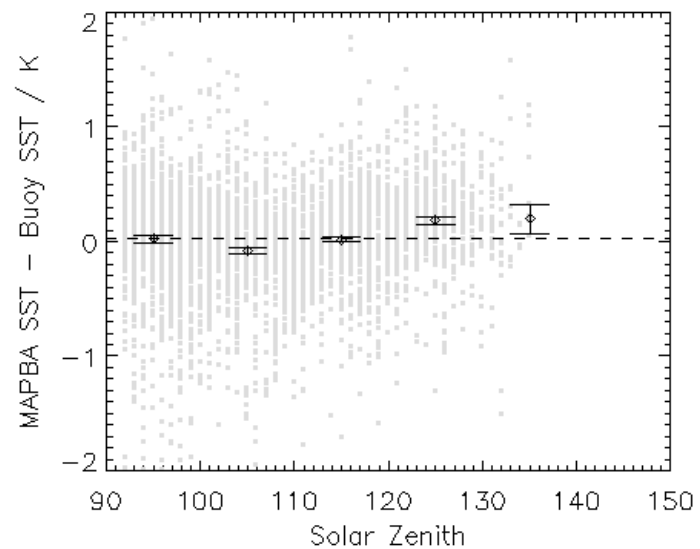
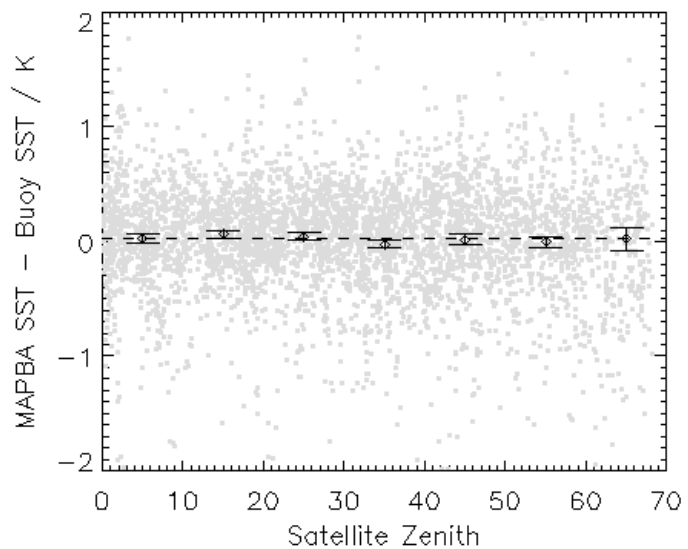
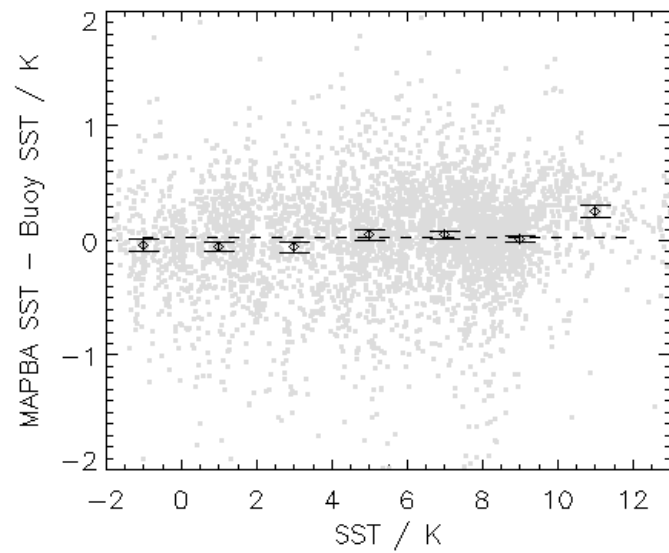
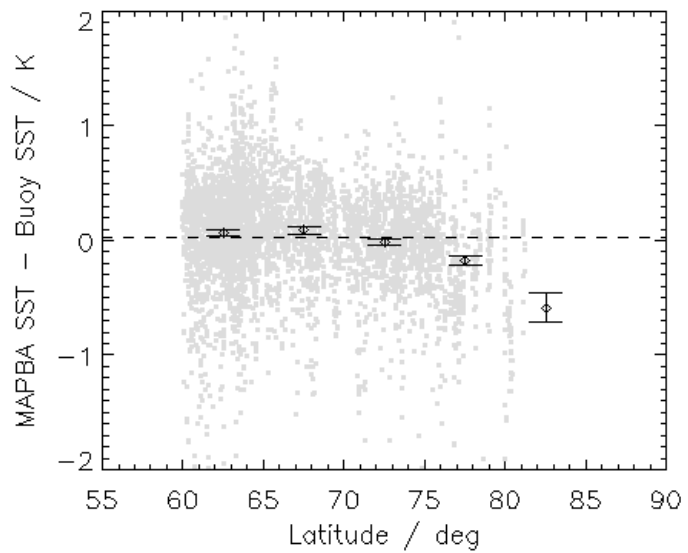
ALL

Mean: 0.02 +/- SD 0.53 K (4383)

Median: 0.05 +/- RSD 0.37 K

Reduction in SD!





Conclusions on new methods

- MTLs performance similar to OE naive
 - $|\text{mean diff}| < 0.1 \text{ K}$
 - similar dispersion statistics
 - some functional biases improve, others degrade
- OE BA performance similar to OE BC
 - note CL biases flattened out
 - result of stratifying Δf by this variable
 - suggests strategy for attacking bias dependencies
 - seasonal variations not as good as OE BC
 - solar ZA and SST dependencies improved cf. OE BC

Final remarks

- Bias-tolerant alternatives to BT adjustment scheme worth exploring further
 - But note: MTLs won't work for split window
 - Not sure if OE BA will work for split window
- All physics-based approaches seem to give different-but-similar-quality results
 - Coeffs + Sim Bias Corr (biased), OE BC, MTLs, OE BA
- Don't see in this data set any twilight problems using three channels
- Recommend adding calculated Fairall skin effect to MDs – skin effect variability may matter
 - Consider using skin estimate in forward model, retrieving skin explicitly (and adding skin estimate back to get subskin SST if required)